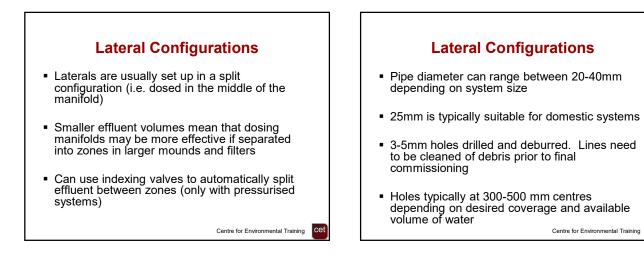
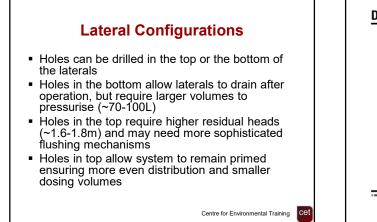


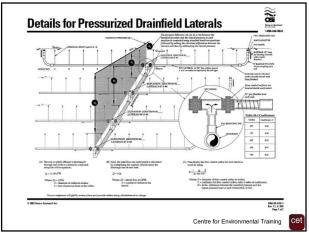
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# **Delivery Lines and Manifolds**

- Typically 25-40 mm polyethylene or (less often PVC) pipe
- Need to consider length and friction loss when sizing the pump
- Use of smaller diameter pipe will result in higher friction losses
- Larger diameter pipe increases the volume of effluent required to pressurise the system Centre for Environmental Training







# **Flushing Systems**

- Need to provide air space around holes to enable organisms to break down biofilms (e.g. using ag-line or slotted pipe sheathing)
- Flushing capabilities essential in any pressure manifold. Screw cap fittings on the ends of laterals a minimum
- Can use automatic field flushing valves developed for subsurface irrigation
- Can install forward/reverse flushing lines
  Some installers use pressure compensating subsurface irrigation line as dosing pipework in mounds dosed with secondary effluent. Must have good filter





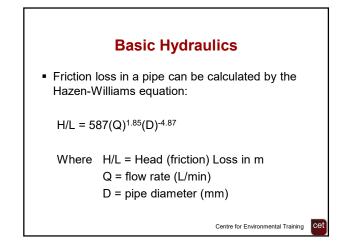
# **Basic Hydraulics**

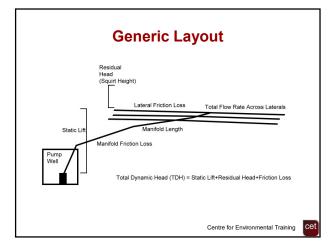
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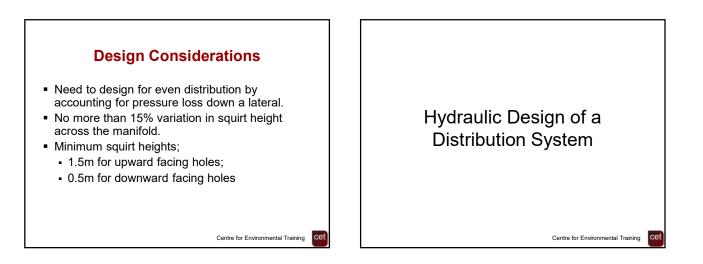
• Flow rate at an orifice can be calculated by:

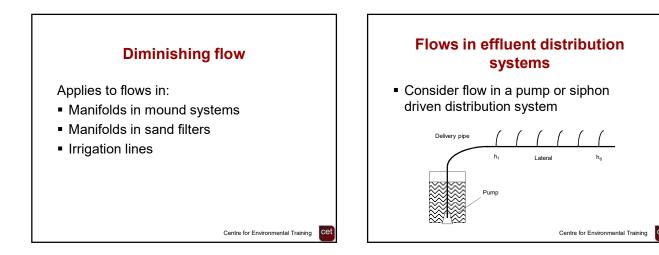
 $Q = 0.132(h^{1/2})(d^2)$ 

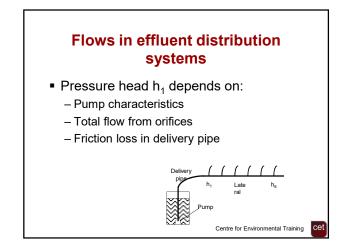
Where Q = flow rate (L/min) h = head at the orifice in m d = orifice diameter (mm)

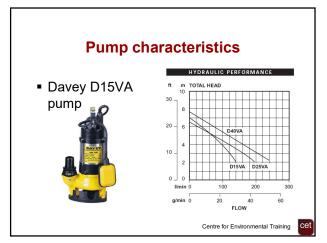


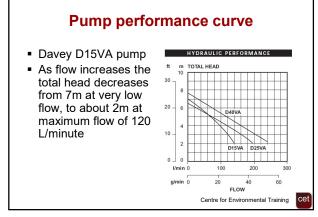












### **Flow from orifices**

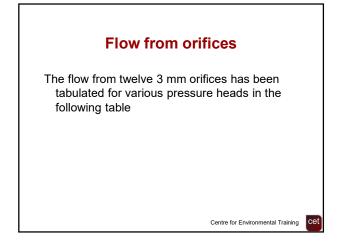
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Flow rate depends on:

- Number of orifices
- Diameter of orifices
- Pressure head at each orifice

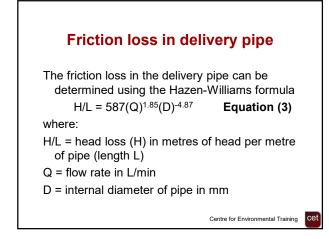
**Flow from orifices** Flow from orifices Relationship described by continuity equation: Q = C x  $(2gh)^{1/2}$  x  $(\pi d^2/4)$  $Q = V \times A$ , or Q = 0.63 x (2 x 9.81 x h)<sup>1/2</sup> x (3.14 x d<sup>2</sup>/4) Q = C x  $(2gh)^{1/2}$  x  $(\pi d^2/4)$  Equation (1)  $Q = 0.63 \text{ x} (19.62 \text{ x} \text{ h})^{1/2} \text{ x} (0.79 \text{ x} \text{ d}^2)$ Where:  $Q = 0.63 \times 4.43 \times (h^{1/2}) \times 0.79 \times (d^2)$  $Q = flow rate in m^3/second$ Q = 2.20 x (h<sup>1/2</sup>) x (d<sup>2</sup>) m<sup>3</sup>/sec d = orifice diameter in millimetres Converting to L/min h = static head in metres C = orifice discharge coefficient = 0.63 for Q = (2.20 x 60)/1000(h<sup>1/2</sup>)(d<sup>2</sup>) L/min plastic pipes, and  $Q = 0.132(h^{1/2})(d^2)$  L/min Equation (2)  $g = gravitational \ acceleration = 9.81 \ m/second^2$ aining cet Centre for Environmental Training

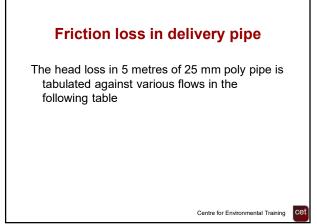


nQ flow from n orifices, d mm in diameter, subject to head of h metres							
h (m)	d (mm)	Q (L/min)	n	NQ (L/min)			
1	3	1.19	12	14.28			
2	3	1.68	12	20.16			
3	3	2.06	12	24.72			
4	3	2.38	12	28.56			
5	3	2.63	12	31.56			
6	3	2.91	12	34.92			
7	3	3.15	12	37.80			

Flow from orifices (Table 1)

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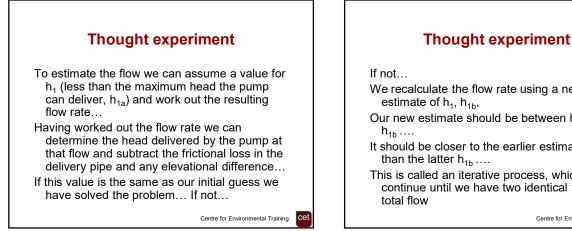
Head loss in 5 m of 25 mm pipe vs flow rate (Table 2)						
Q (L/min)	D (mm)	H/L (m/m)	Length, L (m)	Head loss (m)		
10	25	0.006	5	0.03		
20	25	0.023	5	0.12		
30	25	0.049	5	0.25		
40	25	0.084	5	0.42		
50	25	0.127	5	0.63		
60	25	0.178	5	0.89		
70	25	0.237	5	1.18		
80	25	0.303	5	1.51		
90	25	0.377	5	1.88		
100	25	0.458	5	2.29		



- Read and follow through the thought experiment:
- Here we will envisage firstly one lateral....
- Then two laterals on the same distribution line...
- And note that the flow rate depends on the number of orifices...
- And the head at the distribution pipe dependent on the total flow

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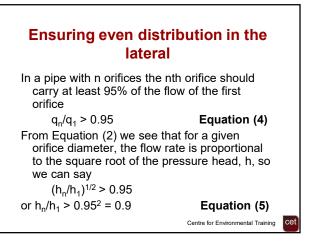
- We recalculate the flow rate using a new
- Our new estimate should be between h<sub>1a</sub> and
- It should be closer to the earlier estimate h<sub>1a</sub>
- This is called an iterative process, which we continue until we have two identical values for



- Ensuring even distribution depends on maintaining constant pressure head in the lateral
- The pressure drop along the lateral can be calculated by the Hazen-Williams formula

The longer the pipe (L), the smaller the diameter (D) and the higher the flow rate (Q), then the greater will be the drop in pressure and the more uneven the flow from the first and last orifices

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# Ensuring even distribution in the lateral

So we now ask...

"What diameter pipe is required to ensure that the last orifice operates at at least 90% of the pressure head of the first orifice?"

So we can now work through an example based on a mound with a 15 metre delivery line and four three metre laterals, each with six 3 mm diameter orifices. The system is driven by a Davey D15VA pump located 2 metres downhill of the mound.

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